## UNEB U.C.E MATHEMATICS (PAPER 1) 2017

## SECTION A

Answer all questions in this section

1. Factorize : $(x+4)^{2}-(x-3)^{2}$
2. Solve the simultaneous equations
$2 x-3 y-7=0$
$x+4 y+2=0$
3. The table below shows marks obtained by 34 students in a Chemistry test. Calculate the mean mark.

| Marks | Number of <br> Students |
| :--- | :--- |
| $20-29$ | 3 |
| $30-39$ | 5 |
| $40-49$ | 8 |
| $50-59$ | 8 |
| $60-69$ | 10 |

4.Given that $s^{*} t=2 s^{2}-3 t$, evaluate $6^{*}(5 * 2)$
5. An interior angle of a regular polygon is $162^{\circ}$. Find the sum of its interior angles.
6. Find the values of x and y in $3\left(\begin{array}{ll}x & 0 \\ 0 & y\end{array}\right)-2\left(\begin{array}{ll}x & 0 \\ 0 & y\end{array}\right)=\left(\begin{array}{ll}3 & 0 \\ 0 & 4\end{array}\right)$
7. Solve for x in the inequality $1 / 2-\# x<\# x-1 / 4$
8. In the right angled triangle ABC below, $\mathrm{AB}=10 \mathrm{~cm}$ and $\mathrm{AC}=6 \mathrm{~cm}$

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Determine the;
a) Length of BC
b) area of triangle ABC
9. A number which is divisible by 3 is chosen at random from a set of even numbers between 1 and 20 . What is the probability of choosing the number?
10. The graph below shows the line HK and its image $\mathrm{H} \# \mathrm{~K} \# \# \#$ after a rotation in the clockwise direction.

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Use the graph to determine the; coordinates of the centre of rotation angle of rotation

## SECTION B

Answer any five questions from this section. All questions carry equal marks.
11. Copy and complete the table of values below for $y=x^{2}+2 x-15$.

| $\boldsymbol{x}$ | $\mathbf{- 6}$ | $\mathbf{- 5}$ | $\mathbf{- 4}$ | $\mathbf{- 3}$ | $\mathbf{- 2}$ | $\mathbf{- 1}$ | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\boldsymbol{x}^{\mathbf{2}}$ | 36 |  |  |  | 4 |  |  |  | 4 |  |  |
| $\mathbf{2 \boldsymbol { x }}$ | -12 | -10 | -8 | -6 | -4 | -2 | 0 | 2 | 4 | 6 | 8 |
| $\mathbf{- 1 5}$ | -15 | -15 | -15 | -15 | -15 | -15 | -15 | -15 | -15 | -15 | -15 |
| $\boldsymbol{y}$ | 9 |  |  |  | -15 |  |  |  | -7 |  |  |

a) Use your completed table to draw the graph of $y=x^{2}+2 x-15$. Use a scale of: 1 cm to represent 1 unit on the x -axis, 1 cm to represent 2 units on the y -axis.
b) Draw on the same graph the line $y=2 x-14$

Hence solve the equation $x^{2}-1=10$.
12. Four schools participated in a football tournament which was played in two rounds. The results were as given below;

## 1st Round

- Bakulu S.S won one, drew three and lost two matches
- Dodo S,S won two, drew two and lost two matches.
- Kawunga S,S won three, drew two and lost four matches.


## 2nd Round

- Bakulu S,S won one, drew two and lost three matches
- Dodo S,S won two, drew one and lost three matches
- Kawunga S,S won two, drew three and lost one match
- Oronga S,S won one, drew four and lost one match.
a) Write down a $4 \times 3$ matrix which shows the performance of the schools in
i) each of the two rounds
ii) both rounds
b) Three points are awarded for a win, one point for a draw and no point for a loss.
i) Write down a $3 \times 1$ matrix to represent the award of points\#
ii) Using matrix multiplication, determine which school won the tournament.
13.a) Make $D$ the subject of the expression

$$
L=\sqrt{\frac{3 B}{T-D}}
$$

Hence, find the value of D when $\mathrm{B}=540, \mathrm{~L}=18$ and $\mathrm{T}=17$
b) Auma bought 5 sackets of washing powder and a tube of toothpaste at shs 1,700 in January. In February she bought 15 sackets of washing powder and 2 tubes of toothpaste at Shs 4,400 . What was the price of each item during the two months?

Using a ruler, a pencil and a pair of compasses only,
construct a triangle $A B C$, where angle $A B C=750, A B \#=9.3 \mathrm{~cm}, B C \#=8.7 \mathrm{~cm}$
b) Measure the length of $A C$ \# and angle $A C B$
c) i) Draw an inscribed circle in the triangle ABC
ii) Find the radius of the circle
15. A cupboard has 5 white cups and 3 black cups. Two cups are picked from the cupboard one after the other without replacement.
a) Draw a tree diagram to represent the given information
b) Calculate the probability of picking :
i) one white cup and one black cup
ii) two cups of the same color
iii) at least one white cup
16. A triangle whose vertices are $P, Q$ and $R$ is mapped on a triangle whose
$(5,7)$ and $R^{\prime}(0,2)$ by a matrix of transformation $\left(\begin{array}{ll}3 & -1 \\ 4 & -1\end{array}\right)$. The triangle $\mathrm{PQ} R$ is then mapped
onto triangle P Q R by a matrix of transformation $\left(\begin{array}{ll}2 & 0 \\ 0 & 2\end{array}\right)$.

Find the;
a) coordinates of $\mathrm{P} \# \# \mathrm{Q} \# \#$ and R\#\#
b) single matrix of transformation which would map P\#\# Q\#\# R\#\# back onto PQR.
c)coordinates of P\#\# Q\#\# and R\#\#
17. An investor wants to buy 2 types of generators $A$ and $B$. Generator A needs $2 \mathrm{~m}^{2}$ of space and B needs $3 \mathrm{~m}^{2}$. The available space is only $60 \mathrm{~m}^{2}$. The cost of A is $£ 2,000$ and that of B is $£ 10,000$. The investor has $£ 80,000$ to be spent. If $x$ and $y$ represent number of generators of type $A$ and $B$ respectively,
a) write down four inequalities from the information given
b) represent the four inequalities on the same axes.
c) find the greatest number of generators of both types A and B that the investor can buy using the minimum amount of money

END

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